## Problem E: Grid Successors

Consider a $3 \times 3$ grid of numbers $g$ where each cell contains either a 0 or a 1. We define a function $f$ that transforms such a grid: each cell of the grid $f(g)$ is the sum (modulo 2 ) of its adjacent cells in $g$ (two cells are considered adjacent if and only if they share a common side).

Furthermore, we define $f^{(i)}(g)$ recursively as $f^{(0)}(g)=g$ and $f^{(i+1)}(g)=$ $f\left(f^{(i)}(g)\right.$ ) (where $i \geq 0$ ). Finally, for any grid $h$, let $k_{g}(h)$ be the number of indices $i$ such that $h=f^{(i)}(g)$ (we may have $k_{g}(h)=\infty$ ). Given a grid $g$, your task is to compute the greatest index $i$ such that $k_{g}\left(f^{(i)}(g)\right)$ is finite.

Input begins with the number of test cases on its own line. Each case
 consists of a blank line followed by three lines of three characters, each either 1 or 0 . The $j$ 'th character of the $i$ 'th row of the test case is the value in the $j^{\prime}$ th cell of the $i$ 'th row of the grid $g$.

For each test case, output the greatest index $i$ such that $k_{g}\left(f^{(i)}(g)\right)$ is finite. If there is no such index, output -1 .

## Sample input

3
111
100
001

101
000
101
000
000
000

## Sample output

3
0
$-1$

## Babak Behsaz and Zachary Friggstad

